Practice Test Answer and Alignment Document Mathematics - Grade 10

Part A

| Item <br> Number | Answer Key | Kentucky <br> Academic <br> Standard | Mathematical <br> Practices |
| :---: | :--- | :--- | :--- |
| 1. | D | KY.HS.N.2 | MP.8 |
| 2. | D | KY.HS.F.4.a | MP.4, MP.5 |
| 3. | See rubric | KY.HS.F.7.a | MP.4, MP.5 |
| 4. | C | KY.HS.A.25.b | MP.6 |
| 5. | See rubric | KY.HS.F.1.e | MP. 1 |

## Part B

| Item <br> Number | Answer Key | Kentucky <br> Academic <br> Standard | Mathematical <br> Practices |
| :---: | :--- | :--- | :--- |
| 1. | B |  |  |
| 2. | C, E | KY.HS.F.1.e | MP.1 |
| 3. | See rubric | KY.HS.G.6 | MP.1 |


| 4. | C | KY.HS.SP.8.a | MP. 5 |
| :---: | :--- | :--- | :--- |
| 5. | C | KY.HS.A.19.a | MP.7 |
| 6. | See rubric | KY.HS.F.3.a | MP.2, MP.4 |
| 7. | D | KY.HS.F.3.a | MP. 2 |

## Rubrics

## Part A \#3

## Rubric

| Score Point 2 | Student demonstrates a complete understanding of using the formula for an arithmetic sequence to model a situation. |
| :---: | :---: |
| Score Point 1 | Student demonstrates a partial understanding of using the formula for an arithmetic sequence to model a situation. |
| Score Point 0 | Student response is insufficient to demonstrate a grade-appropriate, relevant understanding of the task. |
| Score Points | - Score 2 points: Correct formula with a complete explanation. <br> - Score 1 point: Correct formula with a partial explanation. OR <br> - Explanation indicates a partial understanding of using the formula for an arithmetic sequence to generate terms. |
| Correct Answer | The sequence increases by 3 from one term to the next. I determined this by finding the rate of change. $\frac{23-2}{8-1}=\frac{21}{7}=3$ <br> Then I used the formula $a_{n}=a_{1}+(n-1) d$ to write an equation that could be used to find the $n$th term of the arithmetic sequence. The initial value, $a_{1}$, is 2 . The common difference, $d$, is 3 . $a_{n}=2+3(n-1)$ <br> Note: <br> - Other valid explanations are acceptable. <br> - Equivalent equations are acceptable. <br> - Variable substitution is allowed. |


| Part A \#5 |  |
| :---: | :---: |
| Rubric |  |
| Score Point 4 | Student scores 4 points. |
| Score Point 3 | Student scores 3 points. |
| Score Point 2 | Student scores 2 points. |
| Score Point 1 | Student demonstrates a minimal understanding of comparing the properties of two functions, each represented in a different way. |
| Score Point 0 | Student response is insufficient to demonstrate a grade-appropriate, relevant understanding of the task. |
| Score Points | - $\quad$ Score 4 points: Complete explanations of how the two functions compare using their values. <br> - Score 3 points: Complete explanations of how two of the features of the functions compare with a partial explanation of how the third feature compares. OR <br> - Values of all three features of the functions with partial explanations. <br> - Score 2 points: Partial explanation of how two of the features of the functions compare with no values given. OR Values of only three of the features of the functions with no explanation. <br> - Score 1 point: <br> O Partial explanation of how only one of the features of the functions compare with no values given. OR <br> - Values of only one of the features of the functions given. |
| Correct <br> Answer | The $\boldsymbol{y}$-intercept of $\boldsymbol{f}(\boldsymbol{x}), \boldsymbol{f}(\mathbf{0})=\overline{\mathbf{1}}$, is less than the $\boldsymbol{y}$-intercept of $\boldsymbol{g}(\boldsymbol{x}), \boldsymbol{g}(0)=3$. <br> The minimum of $\boldsymbol{f}(\boldsymbol{x})$ is $(-1,-3)$ and is located below the minimum of $\boldsymbol{g}(\boldsymbol{x})$, which is $(1,2)$. <br> The width of $\boldsymbol{f}(\boldsymbol{x})$ is represented by the value 2 , and the width of $\boldsymbol{g}(\boldsymbol{x})$ is represented by the value of 1 . Function $\boldsymbol{g}(\boldsymbol{x})$ is wider than $\boldsymbol{f}(\boldsymbol{x})$ because the lesser the value of $\boldsymbol{a}$ the wider the shape of the parabola. |

Part B \#3
Rubric

| Rubric |  |
| :---: | :---: |
| Score Point 4 | Student scores 4 points. |
| Score Point 3 | Student scores 3 points. |
| Score Point 2 | Student scores 2 points. |
| Score Point 1 | Student demonstrates a minimal understanding of identifying zeros and extreme values of the graph within the context of a quadratic function. |
| Score Point 0 | Student response is insufficient to demonstrate a grade-appropriate, relevant understanding of the task. |
| Score Points | Part A <br> - Score 2 points: <br> O Correct answers with a complete explanation or work provided. <br> - Score 1 point: <br> - Correct answers with no work or explanation provided. OR <br> - One correct answer with valid work or explanation provided. <br> Part B <br> - Score 2 points: <br> - Correct answers with a complete explanation or work provided. <br> - Score 1 point: <br> - Correct answers with no work or explanation provided. OR <br> - Incomplete explanation with zeros identified without specifying the meaning of the zeros. |
| Correct Answer | Part A <br> The maximum value of $P(x)$ is the vertex located at $(3,225)$ on its graph. The point represents the price that would yield the maximum weekly profit. <br> The price of $\$ 3$ will yield a maximum weekly profit of $\$ 225$. <br> Part B <br> The prices that would make the weekly profit $\$ 0$ are $\$ 0$ and $\$ 6$ because the zeros of the function are: $\begin{aligned} & 0=-25 x^{2}+150 x \\ & 0=-25 x(x-6) \\ & 0=-25 x \text { and } 0=x-6 \\ & 0=x \text { and } 6=x \end{aligned}$ |

## Part B \#6

## Rubric

| Score Point 2 | Student demonstrates a complete understanding of calculating and interpreting the average rate of change of a function presented as a table over a specified interval. |
| :---: | :---: |
| Score Point 1 | Student demonstrates a partial understanding of calculating and interpreting the average rate of change of a function presented as a table over a specified interval. |
| Score Point 0 | Student response is insufficient to demonstrate a grade-appropriate, relevant understanding of the task. |
| Score Points | - Score 2 points: <br> - Correct value and interpretation. <br> - Score 1 point: <br> - Correct value. OR <br> - Correct interpretation. |
| Correct Answer | The average rate of change is $\frac{2}{7}$. The plant's height increases at an average rate of $\frac{2}{7}$ centimeters per day. NOTE: Other reasonable interpretations of the average rate of change are acceptable. |

